# Dynamic Symmetric Cipher (DySC) 

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#### Abstract

This paper proposes a Dynamic Symmetric block Cipher for encryption and decryption. It uses varying number of keys in each round with varying key length. Depends on the application the key length can be chosen. To increase the security, it can be enhanced into n number of levels (Rounds). It is a simple algorithm parameterized by the block size, the number of rounds, and key length. These parameters can be adjusted to meet different goals for security and performance.


Key words - Encryption; Decryption; Substitution; Flip; and Transposition..

### 1.0 Introduction

Security is the primary concern of all those people who deal with activities, which involve protection of risk. The branch of science "cryptography" is concerned with the security of information, developed in the hands of military people and it was nurtured by them for quite long time as their private property. For this reason many algorithms are developed for encryption and decryption which provide high security. All these algorithms are kept open to the public and the secrecy of the algorithm lies entirely in the key. This paper stands different that the development of our own algorithm addresses the user needs in specific, there by more flexibility.

### 2.0 Proposed DySC Algorithm

### 2.1 Encryption

## Dynamic Parameters

Fig 1. shows the overall structure of DySC encryption. The inputs to the encryption algorithm are $\mathrm{N}_{\mathrm{b}}$, $\mathrm{K}_{\mathrm{i}}, \mathrm{K}_{\mathrm{sw}}, \mathrm{r}, \mathrm{K}_{\max }$ and Plain text. Encryption of data is done in "rounds". The general setup of each round is the same, except for the number of subkeys. DySC encryption uses r number of rounds.

| $\mathbf{N}_{\mathbf{b}}$ | Key <br> length | Block <br> length | Rounds | $\mathbf{K}_{\text {max }}$ |
| :---: | :---: | :---: | :---: | :---: |
| $2^{1}-2^{6}$ | $2^{5}-2^{10}$ | $2^{2}-2^{7}$ | Minimum <br> 2 | $\leq N_{b}$ |

### 2.1.1. Operations in the round function

## a. Substitution

Plain text is the combination of the ASCII characters. The ASCII characters are divided into $\mathrm{N}_{\mathrm{b}}$ blocks, starting from 0 to $\mathrm{N}_{\mathrm{b}}-1$. Each block contains $128 / \mathrm{N}_{\mathrm{b}}$ characters. The division of blocks is represented in Table 1. The steps are given below to create the substitution table[1].

## Sample parameters

$\mathrm{N}_{\mathrm{b}}=32$

$$
K_{s w}=1423451235
$$

$\mathrm{K}_{\mathrm{i}}=$| 00 | 30 | 28 | 26 | 24 | 22 | 20 | 18 | 16 | 14 | 12 | 10 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 08 | 06 | 04 | 02 | 01 | 03 | 05 | 07 | 09 | 11 | 13 | 15 |
| 17 | 19 | 21 | 23 | 05 | 27 | 29 | 31 |  |  |  |  |

## Step 1:

Take the Key $\mathrm{K}_{\mathrm{i}}$.

## Step 2:

The key $K_{i}$ is permuted by using $K_{\text {sw }}$. Thus we get the key $K_{p .} K_{p}=K_{\text {sw }}\left(K_{i}\right)$

| $\mathrm{K}_{\mathrm{p}}=$ | 00 | 29 | 21 | 13 | 05 | 28 | 20 | 12 | 04 | 25 | 17 | 09 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 01 | 24 | 16 | 08 | 02 | 10 | 18 | 26 | 03 | 11 | 19 | 27 |
|  | 06 | 14 | 22 | 30 | 07 | 15 | 23 | 31 |  |  |  |  |

## Step 3:

Using the Encryption key, we have to construct the substitution table. Consider the second number in $\mathrm{K}_{\mathrm{p}}$, that is 29 and it refers to the block 29 in Table 1. This block contains the characters $\{\mathrm{t}, \mathrm{u}, \mathrm{v}, \mathrm{w}\}$, The equivalent

ASCII values $\{116,117,118,119\}$ are obtained and replace these characters by decimal $0,1,2,3$ in ASCII table. This procedure is continued for the remaining Numbers in $K_{p}$. Thus the Substitution table is formed.

Table 1. ASCII Table
Table 2. Substitution Table

| $\begin{array}{\|l\|} \hline \text { Block } \\ \text { no } \end{array}$ | Characters | Block <br> no | Characters |
| :---: | :---: | :---: | :---: |
| 0 |  | 17 | D EF G |
| 1 |  | 18 | HIJ K |
| 2 | In | 19 | L M N O |
| 3 |  | 20 | P Q R S |
| 4 |  | 21 | T U V W |
| 5 |  | 22 | X Y Z [ |
| 6 |  | 23 | $\^{1} \wedge$ |
| 7 |  | 24 | abc |
| 8 | Blank ! " \# | 25 | def g |
| 9 | \$ \% \& ${ }^{\text {c }}$ | 26 | hijk |
| 10 | ( )*+ | 27 | lmno |
| 11 | ,-. $/$ | 28 | pqrs |
| 12 | 0123 | 29 | tuvw |
| 13 | 4567 | 30 | xyz \{ |
| 14 | 89 :; | 31 | \} ~ |
| 15 | $<=>$ ? |  |  |
| 16 | @ A B C |  |  |


|  | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{9}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{0}$ | 64 | 65 | 66 | 67 | 80 | 81 | 82 | 83 | 96 | 97 |
| $\mathbf{1}$ | 98 | 99 | 112 | 113 | 114 | 115 | 60 | 61 | 62 | 63 |
| $\mathbf{2}$ | 44 | 45 | 46 | 47 | 28 | 29 | 30 | 31 | 12 | 13 |
| $\mathbf{3}$ | 14 | 15 | 72 | 73 | 74 | 75 | 88 | 89 | 90 | 91 |
| $\mathbf{4}$ | 104 | 105 | 106 | 107 | 120 | 121 | 122 | 123 | 52 | 53 |
| $\mathbf{5}$ | 54 | 55 | 36 | 37 | 38 | 39 | 20 | 21 | 22 | 23 |
| $\mathbf{6}$ | 4 | 5 | 6 | 7 | 68 | 69 | 70 | 71 | 84 | 85 |
| $\mathbf{7}$ | 86 | 87 | 100 | 101 | 102 | 103 | 116 | 117 | 118 | 119 |
| $\mathbf{8}$ | 56 | 57 | 58 | 59 | 40 | 41 | 42 | 43 | 24 | 25 |
| $\mathbf{9}$ | 26 | 27 | 8 | 9 | 10 | 11 | 76 | 77 | 78 | 79 |
| $\mathbf{1 0}$ | 92 | 93 | 94 | 95 | 108 | 109 | 110 | 111 | 124 | 125 |
| $\mathbf{1 1}$ | 126 | 127 | 48 | 49 | 50 | 51 | 32 | 33 | 34 | 35 |
| $\mathbf{1 2}$ | 16 | 17 | 18 | 19 | 0 | 1 | 2 | 3 |  |  |

## b. Flipping

For each bit of the input, if the corresponding bit of the flipping key is 0 , the corresponding output bit will be the same as the input bit. If the corresponding bit of the flipping key is 1 , the corresponding output bit will be the complement of the input bit. In reconstructing the original input, the output of the flipping operation is flipped against the same flipping key [1,2].

## c. Transposition

Transposition techniques systematically transpose the positions of the plain text elements. In DySC to transpose the elements Folding techniques are used.

## Folding Techniques

Three types of folding techniques are used to do the transposition. The nearest square root value ' $n$ ', for the length of the plain text block is found and a matrix with order n x n is formed with the plain text block. Then, all the three types of folding are applied[2].

1. Horizontal Folding
2. Vertical Folding
3. Diagonal Folding

### 2.1.2 Encryption Algorithm

DySC_Encrypt(r, N ${ }_{\mathbf{b}}$, Kmax, Ki)
\{
$\mathrm{K}_{\mathrm{p}}=$ Permute $\left(\mathrm{K}_{\mathrm{i}}\right)$
construct_substitution_table $\left(\mathrm{K}_{\mathrm{p}}\right)$
$\mathrm{b}=0$
while(!EOF(pfile)) \{
$\mathrm{P}_{\mathbf{b}}=\mathrm{read}\left(\mathrm{pfile}, \mathrm{N}_{\mathbf{b}} * 2\right)$
for $\mathrm{i}=1$ to $\mathrm{r}\{$
for each char c of $\mathrm{P}_{\mathrm{i}}-1$ substitute(c)
$\operatorname{Key}\left(\mathrm{K}_{\mathrm{p}}\right)$

```
    for j=1 to NK[i] {
            K
            Ci
            }
                    transpose(C
                    P
        }
        b=b+1
        }
    }
    Permute(Ki
    {
        Read Ksw
        for i=1 to len(K
                K
    return K}\mp@subsup{K}{p}{
    }
    construct_substitution_table(K}\mp@subsup{\textrm{K}}{\mathbf{p}}{}
    {
        Divide ASCII table into N N
        Var sub[13][10],fill=0
        for i=1 to len(K
            {
                B=Block[K
                for j=1 to len(B)
                    {
                row=first(B[j])
                col=last(B[j])
                sub[row][col]=fill
                        fill=fill+1
                }
    }
}
substitute(P)
{
    for i=1 to len(P) {
                row=first(P[i])
                col=last(P[i])
                C[i]=sub[row][col]
    }
    return C
}
Transpose()
{ form_matrix()
    fill_matrix(C ( }\mp@subsup{\textrm{i}}{\mathbf{i}}{
    C}\mathbf{i}= H_fold(V_fold(D_fold(Ci)))
}
```


### 2.2 Decryption

The inputs to the decryption algorithm are $\mathrm{N}_{\mathrm{b}}, \mathrm{K}_{\mathrm{i}}, \mathrm{K}_{\mathrm{sw}}, \mathrm{r}, \mathrm{K}_{\text {max }}$ and Cipher text. For decryption the reverse process of encryption is done based on the algorithm given. For substitution the inverse table(Table 3) is used.

### 2.2.1 Decryption Algorithm

```
DySC_Decrypt(r)
{
```

```
    K
```

    K
    construct_rev_substitution_table(K}\mp@subsup{\textrm{K}}{\textrm{p}}{}
    construct_rev_substitution_table(K}\mp@subsup{\textrm{K}}{\textrm{p}}{}
    b=0
    b=0
    while(!EOF(cfile))
    ```
    while(!EOF(cfile))
```

```
{
    C
    for i=r to 1
{
        for each char c of Ci
            substitute(c)
        for j=1 to NK[i] {
        K
        P
        }
        transpose( }\mp@subsup{\textrm{P}}{\textrm{i}}{}
        C
    }
    b=b+1
    }
}
```


### 2.3. Key Schedule

In cryptography, the so-called product ciphers are a certain kind of ciphers, where the (de-)ciphering of data is done in "rounds". The general setup of each round is the same, except for some hard-coded parameters and a part of the cipher key, called a subkey. Key schedule is an algorithm that, given the key, calculates the subkeys for these rounds. In this algorithm for every $\mathrm{i}^{\text {th }}$ round the Encryption key is divided into $\mathrm{NK}_{\mathrm{i}}$ sub keys.

```
Key(K
{
    p=nearestprime(r }^\mp@subsup{\textrm{K}}{\mathrm{ max }}{}
    for }\textrm{i}=1\mathrm{ to r
    {
        NK[i]=p%(K K max +1)
        p=nextprime(p)
    }
}
generate_sub_key(K
{
    for i=1 to r
    for j = 1 to NK[i]
        {
        k=shift(flip(slide( }\mp@subsup{\textrm{K}}{\textrm{j}}{\mathbf{j}
        SK[i][j]=k
        }
}
```

Table 3. Inverse Substitution Table

|  | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{9}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{0}$ | 124 | 125 | 126 | 127 | 60 | 61 | 62 | 63 | 92 | 93 |
| $\mathbf{1}$ | 94 | 95 | 28 | 29 | 30 | 31 | 120 | 121 | 122 | 123 |
| $\mathbf{2}$ | 56 | 57 | 58 | 59 | 88 | 89 | 90 | 91 | 24 | 25 |
| $\mathbf{3}$ | 26 | 27 | 116 | 117 | 118 | 119 | 52 | 53 | 54 | 55 |
| $\mathbf{4}$ | 84 | 85 | 86 | 87 | 20 | 21 | 22 | 23 | 112 | 113 |
| $\mathbf{5}$ | 114 | 115 | 48 | 49 | 50 | 51 | 80 | 81 | 82 | 83 |
| $\mathbf{6}$ | 16 | 17 | 18 | 19 | 0 | 1 | 2 | 3 | 64 | 65 |
| $\mathbf{7}$ | 66 | 67 | 32 | 33 | 34 | 35 | 96 | 97 | 98 | 99 |
| $\mathbf{8}$ | 4 | 5 | 6 | 7 | 68 | 69 | 70 | 71 | 36 | 37 |
| $\mathbf{9}$ | 38 | 39 | 100 | 101 | 102 | 103 | 8 | 9 | 10 | 11 |
| $\mathbf{1 0}$ | 72 | 73 | 74 | 75 | 40 | 41 | 42 | 43 | 104 | 105 |
| $\mathbf{1 1}$ | 106 | 107 | 12 | 13 | 14 | 15 | 76 | 77 | 78 | 79 |
| $\mathbf{1 2}$ | 44 | 45 | 46 | 47 | 108 | 109 | 110 | 111 |  |  |

### 2.3.1 Operations used in Key Schedule

a. Slide
'Slide' is an operation used in the Key scheduling algorithm to generate the sub keys. It takes encryption key and $\mathrm{NK}_{\mathrm{i}}$ as inputs.

Length(slider)=Length(binary(Finalbit position))
Table 4. Sub Key

| $\mathrm{K}_{\mathrm{p}}$ | 1 | 0 | 0 | 1 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Bit <br> Position | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 |
| Derived <br> Key | 0 | 1 | 1 | 1 | 1 | 1 | 0 | 1 | 1 | 1 | 1 | 0 | 1 | 0 | 1 | 0 |



Figure 1. Encryption
Example : Binary equivalent of $15=1111_{2}$. The length of slider is four. To derive a sub key of length 16,16 bits of $K_{p}$ are taken. The first four bits are taken $\left(1001_{2}\right)$ from $K_{p}$. ' 9 ' is the equivalent decimal value. In the derived key the $9^{\text {th }}$ bit position is filled with ' 1 '. One bit forwarded circularly and the same procedure is repeated to fill the remaining positions, shown in the table 4 and table 5 . The positions which are not filled with 1 s are filled with 0 s.

## b. Flip

$$
\mathrm{K}_{\mathrm{f}}=\mathrm{flip}\left(\mathrm{~K}_{\mathrm{p}}, \mathrm{~K}_{\mathrm{s}}\right)
$$

## c. Circular Left Shift

Left circular shift is done. The number of bits to be shifted $\left(\mathrm{N}_{\mathrm{s}}\right)$ is the number of sub keys used in the round $\left(\mathrm{NK}_{\mathrm{i}}\right) . \mathrm{N}_{\mathrm{s}}=\mathrm{NK}_{\mathrm{i}}$

$$
\mathrm{m}=\operatorname{Round}\left(\operatorname{Floor}\left(\mathrm{K}_{\mathrm{pi}} / \mathrm{NK}_{\mathrm{i}}\right), 8\right)
$$

Table 5. Slider

| Bit position | Bits | Decimal <br> Equivalent |
| :--- | :---: | :---: |
| 0123 | 1001 | 9 |
| 1234 | 0010 | 2 |
| 2345 | 0101 | 5 |
| 3456 | 1010 | 10 |
| 4567 | 0101 | 5 |
| 5678 | 1010 | 10 |
| 6789 | 0100 | 4 |
| 78910 | 1000 | 8 |
| 891011 | 0001 | 1 |
| 9101112 | 0011 | 3 |
| 10111213 | 0111 | 7 |
| 11121314 | 1110 | 14 |
| 12131415 | 1100 | 12 |
| 1314150 | 1001 | 9 |
| 141501 | 0010 | 2 |
| 15012 | 0100 | 4 |



Figure 2 Sub Key Generation

### 3.0 Analysis of the Proposed Algorithm:

## Brute Force Attack

To hack into the DySC encryption / decryption algorithms using the brute force approach, one needs to guess the flipping key, the Substitution function, the permutation function and the encryption level.

## Encryption Level

The last piece of the secret information is the encryption level. It is a positive integer. The higher the encryption level is, the more secure the algorithm is. However, we should be cautious with large values of the encryption level since the increasing of the encryption level is proportional to the decreasing of the Encryption / decryption speed.

## Key generation:

The main strength of the DySC algorithm is Sub-key generation. DySC uses varying number of keys in each round with varying key length. Depends on the application the key length can be chosen.

### 4.0. Conclusion

The DySC algorithm takes plain text of length $n$ bits, a key of length $n$ bits and it produces an output of length $n$ bits. This is dynamic, since it uses plain text, key of variable length and different numbers of keys are used in each round. Depends on the level of security needed, number of rounds can be implemented. Since it satisfies the principles of block ciphers and Feistel Cipher structure, it is a symmetric block cipher. If there is a need for the applications to expose its inputs and its encrypted forms of the inputs, then it should use the DySC encryption / decryption algorithm instead. It is also a simple, fast, and fairly secure algorithm.

## GLOSSARY

| P, PT | - | Plain text |
| :--- | :--- | :--- |
| $\mathrm{C}, \mathrm{CT}$ | - | Cipher text |
| $\mathrm{P}_{\mathrm{i}}$ | - | Plain text in $\mathrm{i}^{\text {th }}$ round |
| $\mathrm{C}_{\mathrm{i}}$ | - | Cipher text in $\mathrm{i}^{\text {th }}$ round |
| $\mathrm{K}_{\mathrm{i}}$ | - | Initial key |
| $\mathrm{K}_{\mathrm{p}}$ | - | Permuted key |
| $\mathrm{K}_{\mathrm{pi}}$ | - | Key used at $\mathrm{i}^{\text {th }}$ round |
| $\mathrm{K}_{\mathrm{sw}}$ | - | Swapping key |
| r | - | Number of rounds |
| n | - | Length of the key |


| ICT | - | Intermediate Cipher Text |
| :---: | :---: | :---: |
| IPT | - | Intermediate Plain Text |
| $\mathrm{N}_{\mathrm{b}}$ | - | Number of Blocks |
| $\mathrm{N}_{\mathrm{c}}$ | - | Number of Characters |
| B | - | Block |
| $\mathrm{K}_{\text {max }}$ | - | Maximum number of keys |
| $\mathrm{N}_{\mathrm{p}}$ | - | Nearest prime number |
| $\mathrm{NK}_{\mathrm{i}}$ | - | Number of keys used in $\mathrm{i}^{\text {th }}$ round |
| SK[][] | - | Array of sub keys |
| $\bigotimes$ | - | Flipping |
| <<< | . | Left Rotation |

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